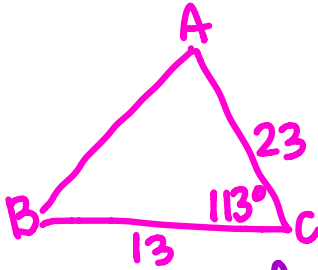


6.1 Law of CosinesName **KEY**

Solve for the length of the missing side of each triangle. Round your answer to the nearest tenth.

1. $m\angle C = 113^\circ$, $a = 13$, $b = 23$

$c = 30.5$



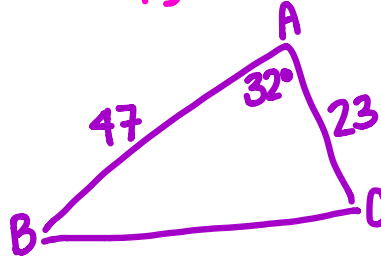
$$c^2 = a^2 + b^2 - 2ab \cos C$$

$$c^2 = 13^2 + 23^2 - 2(13)(23) \cos 113^\circ$$

$$\sqrt{c^2} \approx \sqrt{931.657}$$

2. $m\angle A = 32^\circ$, $b = 23$, $c = 47$

$a = 30.1$



$$a^2 = b^2 + c^2 - 2bc \cos A$$

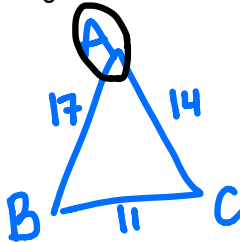
$$a^2 = 23^2 + 47^2 - 2(23)(47) \cos 32^\circ$$

$$\sqrt{a^2} \approx \sqrt{104.520}$$

Solve each triangle for the specified angle measure. Round your answer to the nearest degree.

3. $a = 11$, $b = 14$, $c = 17$; $m\angle A$

$m\angle A = 40^\circ$



$$a^2 = b^2 + c^2 - 2bc \cos A$$

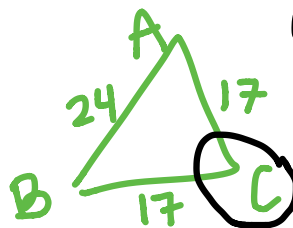
$$11^2 = 14^2 + 17^2 - 2(14)(17) \cos A$$

$$-364 = -476 \cos A$$

$$\cos^{-1}\left(\frac{364}{476}\right) = m\angle A$$

4. $a = 17$, $b = 17$, $c = 24$; $m\angle C$

$m\angle C = 90^\circ$



$$c^2 = a^2 + b^2 - 2ab \cos C$$

$$24^2 = 17^2 + 17^2 - 2(17)(17) \cos C$$

$$-2 = -578 \cos C$$

$$\cos^{-1}\left(\frac{2}{578}\right) = m\angle C$$

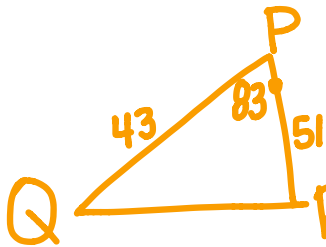
Solve each $\triangle PQR$. Round lengths to the nearest tenth, and angles to the nearest degree.

5. $m\angle P = 83^\circ$, $r = 43$, $q = 51$

$m\angle Q = 54^\circ$

$m\angle R = 43^\circ$

$p = 62.6$



$$p^2 = q^2 + r^2 - 2rq \cos P$$

$$p^2 = 51^2 + 43^2 - 2(51)(43) \cos 83^\circ$$

$$p^2 = 3915.481$$

$$r^2 = p^2 + q^2 - 2pq \cos R$$

$$43^2 = (62.6)^2 + 51^2 - 2(62.6)(51) \cos R$$

$$\cos^{-1}\left(\frac{1670.76}{6385.2}\right) = m\angle R$$

$$m\angle Q = 180 - 43^\circ - 83^\circ$$

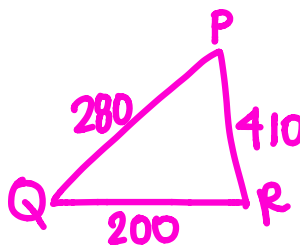
6. $p = 200$, $q = 410$, $r = 280$

$m\angle P = 26^\circ$

$m\angle Q = 116^\circ$

$m\angle R = 38^\circ$

$180 - 116 - 26$



$$p^2 = q^2 + r^2 - 2qr \cos P$$

$$200^2 = 410^2 + 280^2 - 2(410)(280) \cos P$$

$$\cos^{-1}\left(\frac{206500}{224000}\right) = m\angle P$$

$$q^2 = p^2 + r^2 - 2pr \cos Q$$

$$410^2 = 200^2 + 280^2 - 2(200)(280) \cos Q$$

$$\cos^{-1}\left(-\frac{49700}{112000}\right) = m\angle Q$$