

7.4 Quadratic and Abs. Value Transformations
Pre Cal

Name: _____

Describe in words how the parent graph, $f(x) = x^2$, is transformed into $g(x)$.

1. $g(x) = 2.8(x+16)^2 + 10$ left 16

up 10

narrower by a factor of 2.8

2. $g(x) = -\frac{3}{10}(x-11)^2 + 6$ right 11

up 6

wider by a factor of $\frac{3}{10}$ and reflected

Describe in words how the parent graph, $f(x) = |x|$, is transformed into $g(x)$.

3. $g(x) = 7|x+2|-5$ left 2

down 5

narrower by a factor of 7

4. $g(x) = -\frac{1}{8}|x-3| + 4$ right 3

up 4

wider by a factor of $\frac{1}{8}$
reflected

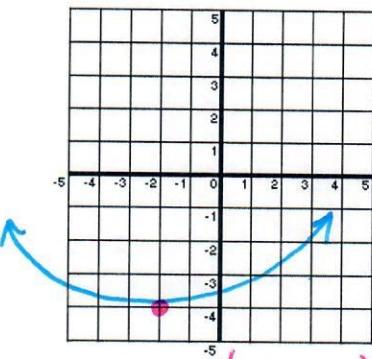
5. $g(x) = -|x+6| + 7$ left 6

up 7

reflected

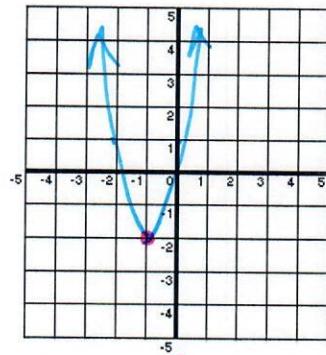
#6-8 Sketch the graph of the function. Label each vertex.

6. $f(x) = \frac{1}{5}(x+2)^2 - 4$



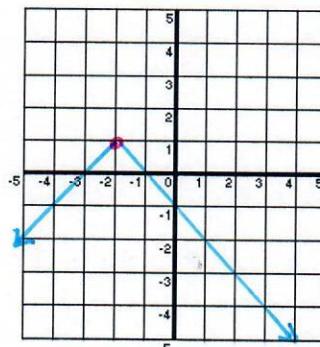
vertex: $(-2, -4)$
wider

7. $g(x) = 3(x+1)^2 - 2$



vertex: $(-1, -2)$
narrower

8. $h(x) = -|x+2| + 1$



"vertex" $(-2, 1)$
reflected

9. Based on the description, write the equation in the form of $y = a \cdot f(x-c) + d$ for the parent graph, $f(x) = |x|$.

a.) The graph is reflected over the x-axis, widened by a factor of $\frac{1}{2}$, and translated 3 units to the right.

$$y = -\frac{1}{2}|x-3|$$

b.) The graph is narrowed by a factor of 3, translated 4 units to the left, and 8 units down.

$$y = 3|x+4|-8$$

10. Record the letters in order from narrowest graph to the widest.

- A. $y = -2f(x)$ B. $y = \frac{1}{2}f(x)$ C. $y = 5f(x)$ D. $y = \frac{8}{3}f(x)$ E. $y = -\frac{1}{3}f(x)$

coefficients from greatest to least C, D, A, B, E

Describe in words how the parent graph, $f(x) = x^2$, is transformed into $g(x)$.

11. $g(x) = \frac{1}{5}(x-1)^2 + 3$
- shifted up 3
 - shifted right 1
 - wider by a factor of $\frac{1}{5}$

12. $g(x) = -7(x-11)^2 + 2$
- shifted up 2
 - shifted right 11
 - narrower by a factor of 7
 - reflected over x-axis

Describe in words how the parent graph, $f(x) = |x|$, is transformed into $g(x)$.

13. $g(x) = \frac{1}{2}|x+4|-9$
- left 4
down 9
wider by $\frac{1}{2}$

14. $g(x) = -5|x-3|+4$
- right 3
up 4
narrower by 5

15. $g(x) = 2|x|-7$
- down 7
narrower by $\frac{1}{2}$